

ON GENERALIZED FRACTIONAL INTEGRALS

Abstract

*The properties of generalized fractional integrals are studied.*

It is known that the fractional integral

$$I_{\alpha} f(x) = \int_{\mathbb{R}^n} \frac{f(y)}{|x-y|^{n-\alpha}} dy, \quad 0 < \alpha < n,$$

is bounded from  $L_p(\mathbb{R}^n)$  to  $L_q(\mathbb{R}^n)$ , when  $1 < p < n/\alpha$  and  $1/q = 1/p - \alpha/n$  as the Hardy-Littlewood-Sobolev theorem. We consider generalized fractional integrals and prove the Hardy-Littlewood-Sobolev theorem for them. Related questions were studied in works of Y.Mizuta, E.Nakai, A.Gadjiev and etc.

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## **KƏSR İNTEQRALLARIN ÜMUMİLƏŞMƏSİ**

İşdə ümumiləşmiş kəsr inteqral operatorun xassələri öyrənilmişdir.